

페이지	현재	수정
55	벡터 p-norm	p-norm
90	그림 2.27	그림 2.27에서 a와 n을 서로 교체
106	모든 조인트에서 대해	모든 조인트에 대해
136	그림 3.11	그림 3.11에서 a와 s를 서로 교체
154	그림 3.23에서	그림 3.24에서
160	오리엔테이션 정보가 있어야 역기구학을 풀 수 있음을 알 수 있다.	오리엔테이션 정보를 통해 역기구학을 풀었다.
200	식 (4.7)로 부터	식 (4.14)로 부터
250	U 는 포텐셜 에너지	P 는 포텐셜 에너지
	\vec{r}_i^i $P_i = -m\vec{g}^T \vec{r}_i^i$ $= -m\vec{g}^T A_0^i \vec{r}_i^i$	무게 중심 거리 벡터 \vec{r}_i^i $P_i = -m\vec{g}^T \vec{r}_i^i$ $= -m\vec{g}^T A_0^i \vec{r}_i^i$
267	$P_i = -\sum_{i=1}^n m_i \vec{g}^T A_0^i \vec{r}_i^i$ $L = K - P$ $= \sum_{i=1}^n K_i = \frac{1}{2} \sum_{i=1}^n \text{Trace} [\sum_{j=1k=1}^i \frac{\partial A_0^i}{\partial q_j} I_i \frac{\partial A_0^{i^T}}{\partial q_k} q_j q_k] + \sum_{i=1}^n m_i g^T A_0^i \vec{r}_i^i$ $= \frac{1}{2} \sum_{i=1}^n \sum_{j=1k=1}^i [\text{Trace} (\frac{\partial A_0^i}{\partial q_j} I_i \frac{\partial A_0^{i^T}}{\partial q_k}) q_j q_k] + \sum_{i=1}^n m_i g^T A_0^i \vec{r}_i^i$	$P_i = -\sum_{i=1}^n m_i \vec{g}^T A_0^i \vec{r}_i^i$ $L = K - P$ $= \sum_{i=1}^n K_i = \frac{1}{2} \sum_{i=1}^n \text{Trace} [\sum_{j=1k=1}^i \frac{\partial A_0^i}{\partial q_j} I_i \frac{\partial A_0^{i^T}}{\partial q_k} q_j q_k] + \sum_{i=1}^n m_i \vec{g}^T A_0^i \vec{r}_i^i$ $= \frac{1}{2} \sum_{i=1}^n \sum_{j=1k=1}^i [\text{Trace} (\frac{\partial A_0^i}{\partial q_j} I_i \frac{\partial A_0^{i^T}}{\partial q_k}) q_j q_k] + \sum_{i=1}^n m_i \vec{g}^T A_0^i \vec{r}_i^i$
	$\frac{\partial L}{\partial q_p} = \frac{1}{2} \sum_{i=pj=1k=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_j \partial q_p} I_i \frac{\partial A_0^{i^T}}{\partial q_k}] q_j q_k$ $+ \sum_{i=pj=1k=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_k \partial q_p} I_i \frac{\partial A_0^{i^T}}{\partial q_j}] q_j q_k$ $+ \sum_{i=p}^n m_i g^T \frac{\partial A_0^i}{\partial q_p} \vec{r}_i^i$ $\frac{\partial L}{\partial q_p} = \sum_{i=pj=1k=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_j \partial q_p} I_i \frac{\partial A_0^{i^T}}{\partial q_k}] q_j q_k + \sum_{i=p}^n m_i g^T \frac{\partial A_0^i}{\partial q_p} \vec{r}_i^i$	$\frac{\partial L}{\partial q_p} = \frac{1}{2} \sum_{i=pj=1k=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_j \partial q_p} I_i \frac{\partial A_0^{i^T}}{\partial q_k}] q_j q_k$ $+ \sum_{i=pj=1k=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_k \partial q_p} I_i \frac{\partial A_0^{i^T}}{\partial q_j}] q_j q_k$ $+ \sum_{i=p}^n m_i \vec{g}^T \frac{\partial A_0^i}{\partial q_p} \vec{r}_i^i$ $\frac{\partial L}{\partial q_p} = \sum_{i=pj=1k=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_j \partial q_p} I_i \frac{\partial A_0^{i^T}}{\partial q_k}] q_j q_k + \sum_{i=p}^n m_i \vec{g}^T \frac{\partial A_0^i}{\partial q_p} \vec{r}_i^i$
269	$\frac{d}{dt} \frac{\partial L}{\partial \dot{q}_p} - \frac{\partial L}{\partial q_p} = \sum_{i=pk=1}^i \text{Trace} [\frac{\partial A_0^i}{\partial q_k} I_i \frac{\partial A_0^{i^T}}{\partial q_p}] \ddot{q}_k$ $+ \sum_{i=pk=1m=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_k \partial q_m} I_i \frac{\partial A_0^{i^T}}{\partial q_p}] q_k q_m$ $+ \sum_{i=pk=1m=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_p \partial q_m} I_i \frac{\partial A_0^{i^T}}{\partial q_k}] q_k q_m$ $- \sum_{i=pj=1k=1}^i \text{Trace} [\frac{\partial^2 A_i}{\partial q_p \partial q_j} I_i \frac{\partial A_0^{i^T}}{\partial q_k}] q_j q_k$ $- \sum_{i=p}^n m_i g^T \frac{\partial A_0^i}{\partial q_p} \vec{r}_i^i$ $\frac{d}{dt} \frac{\partial L}{\partial \dot{q}_p} - \frac{\partial L}{\partial q_p} = \sum_{i=pk=1}^i \text{Trace} [\frac{\partial A_0^i}{\partial q_k} I_i \frac{\partial A_0^{i^T}}{\partial q_p}] \ddot{q}_k$ $+ \sum_{i=pk=1m=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_k \partial q_m} I_i \frac{\partial A_0^{i^T}}{\partial q_p}] q_k q_m$ $+ \sum_{i=pk=1m=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_p \partial q_m} I_i \frac{\partial A_0^{i^T}}{\partial q_k}] q_k q_m$ $- \sum_{i=pj=1k=1}^i \text{Trace} [\frac{\partial^2 A_i}{\partial q_p \partial q_j} I_i \frac{\partial A_0^{i^T}}{\partial q_k}] q_j q_k$ $- \sum_{i=p}^n m_i \vec{g}^T \frac{\partial A_0^i}{\partial q_p} \vec{r}_i^i$	$\frac{d}{dt} \frac{\partial L}{\partial \dot{q}_p} - \frac{\partial L}{\partial q_p} = \sum_{i=pk=1}^i \text{Trace} [\frac{\partial A_0^i}{\partial q_k} I_i \frac{\partial A_0^{i^T}}{\partial q_p}] \ddot{q}_k$ $+ \sum_{i=pk=1m=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_k \partial q_m} I_i \frac{\partial A_0^{i^T}}{\partial q_p}] q_k q_m$ $+ \sum_{i=pk=1m=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_p \partial q_m} I_i \frac{\partial A_0^{i^T}}{\partial q_k}] q_k q_m$ $- \sum_{i=pj=1k=1}^i \text{Trace} [\frac{\partial^2 A_i}{\partial q_p \partial q_j} I_i \frac{\partial A_0^{i^T}}{\partial q_k}] q_j q_k$ $- \sum_{i=p}^n m_i \vec{g}^T \frac{\partial A_0^i}{\partial q_p} \vec{r}_i^i$
	$\frac{d}{dt} \frac{\partial L}{\partial \dot{q}_p} - \frac{\partial L}{\partial q_p} = \sum_{i=pk=1}^i \text{Trace} [\frac{\partial A_0^i}{\partial q_k} I_i \frac{\partial A_0^{i^T}}{\partial q_p}] \ddot{q}_k$ $+ \sum_{i=pk=1m=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_k \partial q_m} I_i \frac{\partial A_0^{i^T}}{\partial q_p}] q_k q_m - \sum_{i=p}^n m_i g^T \frac{\partial A_0^i}{\partial q_p} \vec{r}_i^i$	$\frac{d}{dt} \frac{\partial L}{\partial \dot{q}_p} - \frac{\partial L}{\partial q_p} = \sum_{i=pk=1}^i \text{Trace} [\frac{\partial A_0^i}{\partial q_k} I_i \frac{\partial A_0^{i^T}}{\partial q_p}] \ddot{q}_k$ $+ \sum_{i=pk=1m=1}^i \text{Trace} [\frac{\partial^2 A_0^i}{\partial q_k \partial q_m} I_i \frac{\partial A_0^{i^T}}{\partial q_p}] q_k q_m - \sum_{i=p}^n m_i \vec{g}^T \frac{\partial A_0^i}{\partial q_p} \vec{r}_i^i$

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270	$\tau_i = \sum_{j=ik=1}^n \sum_{j=1}^i \text{Trace} \left[\frac{\partial A_0^j}{\partial q_k} I_i \frac{\partial A_0^{j^T}}{\partial q_i} \right] q_k + \sum_{j=ik=1}^n \sum_{m=1}^i \sum_{l=ik=1}^j \text{Trace} \left[\frac{\partial^2 A_0}{\partial q_k \partial q_l} I_i \frac{\partial A_0^{j^T}}{\partial q_i} \right] q_k + \sum_{j=ik=1}^n \sum_{m=1}^i \sum_{l=ik=1}^j \text{Trace} \left[\frac{\partial A_0^j}{\partial q_k} I_i \frac{\partial A_0^{j^T}}{\partial q_i} \right] q_k q_m - \sum_{j=i}^n m_j g^T \frac{\partial A_0^j}{\partial q_i} \bar{r}_j^i$	$\tau_i = \sum_{j=ik=1}^n \sum_{j=1}^i \text{Trace} \left[\frac{\partial A_0^j}{\partial q_k} I_i \frac{\partial A_0^{j^T}}{\partial q_i} \right] q_k + \sum_{j=ik=1}^n \sum_{m=1}^i \sum_{l=ik=1}^j \text{Trace} \left[\frac{\partial A_0^j}{\partial q_k} I_i \frac{\partial A_0^{j^T}}{\partial q_i} \right] q_k + \sum_{j=ik=1}^n \sum_{m=1}^i \sum_{l=ik=1}^j \text{Trace} \left[\frac{\partial^2 A_0}{\partial q_k \partial q_l} I_i \frac{\partial A_0^{j^T}}{\partial q_i} \right] q_k q_m - \sum_{j=i}^n m_j g^T \frac{\partial A_0^j}{\partial q_i} \bar{r}_j^i$
284	$G_i = \sum_{j=1}^n (-m_j \bar{g}^T U_{ji} \bar{r}_j^i)$ $G_1 = \sum_{j=1}^2 (-m_j \bar{g}^T U_{j1} \bar{r}_j^j)$ $= - (m_1 \bar{g}^T U_{11} r_1^1 + m_2 \bar{g}^T U_{21} r_2^2)$	$G_i = \sum_{j=1}^n (-m_j \bar{g}^T U_{ji} \bar{r}_j^i)$ $G_1 = \sum_{j=1}^2 (-m_j \bar{g}^T U_{j1} \bar{r}_j^j)$ $= - (m_1 \bar{g}^T U_{11} \bar{r}_1^1 + m_2 \bar{g}^T U_{21} \bar{r}_2^2)$
285	$G_2 = \sum_{j=2}^2 (-m_j \bar{g}^T U_{j2} \bar{r}_j^j)$ $= -m_2 \bar{g}^T U_{22} \bar{r}_2^2$	$G_2 = \sum_{j=2}^2 (-m_j \bar{g}^T U_{j2} \bar{r}_j^j)$ $= -m_2 \bar{g}^T U_{22} \bar{r}_2^2$
296	$G_i = \sum_{j=1}^n (-m_j \bar{g}^T U_{ji} \bar{r}_j^i)$ $G_1 = \sum_{j=1}^2 (-m_j \bar{g}^T U_{j1} \bar{r}_j^j)$ $= - (m_1 \bar{g}^T U_{11} r_1^1 + m_2 \bar{g}^T U_{21} r_2^2)$	$G_i = \sum_{j=1}^n (-m_j \bar{g}^T U_{ji} \bar{r}_j^i)$ $G_1 = \sum_{j=1}^2 (-m_j \bar{g}^T U_{j1} \bar{r}_j^j)$ $= - (m_1 \bar{g}^T U_{11} \bar{r}_1^1 + m_2 \bar{g}^T U_{21} \bar{r}_2^2)$
358	$\theta(t_f) = \theta_f$ $\dot{\theta}(t_f) = 0$	$\theta_2(t_f) = \theta_f$ $\dot{\theta}_2(t_f) = 0$
359	$\dot{\theta}_1 = 2a_{12} + 6a_{13}t_v$ $\dot{\theta}_2 = 2a_{22} + 6a_{23}t_v$	$\ddot{\theta}_1 = 2a_{12} + 6a_{13}t_v$ $\ddot{\theta}_2 = 2a_{22} + 6a_{23}t_v$
414	<p style="text-align: center;">그림 7.51 교체</p> <pre> x LSPB 경로 계획 function cd = lspb_nd_acc(u) q01 = u(1); q02 = u(2); qf1 = u(3); qf2 = u(4); tf = u(5); al = u(6); a2 = u(7); t = u(8); if qf1 > q01 tb1 = tf/2-(sqrt(al^2+tf^2 - 4*al*(qf1-q01)))/(2*al); else ac = -al; tb1 = tf/2-(sqrt(ac^2+tf^2 - 4*ac*(qf1-q01)))/(2*ac); end if qf2 > q02 V1 = al*tb1; else al = -al; V1 = al*tb1; end if qf1 > q02 tb2 = tf/2-(sqrt(a2^2+tf^2 - 4*a2*(qf2-q02)))/(2*a2); else ac = -a2; tb2 = tf/2-(sqrt(ac^2+tf^2 - 4*ac*(qf1-q01)))/(2*ac); end if qf2 > q01 V2 = a2*tb2; else a2 = -a2; V2 = a2*tb2; end end </pre>	<pre> x 1 구간의 경로 if t <= 0 cd1 = q01; cd2 = 0; cd3 = 0; cd4 = 0; cd5 = 0; cd6 = 0; else if (t>0 & t <= tb1) cd1 = q01 + al*tb1/(2*tb1)+t^2; cd2 = al*t; cd3 = 0; cd4 = 0; cd5 = 0; cd6 = 0; else if (t>tb1 & t <= tf) cd1 = (al+q01)*t+(t^2)/2 + al*tb1+t ; cd2 = V1; cd3 = 0; cd4 = (a2*tb2-V2*t)/2 + a2*tb2+t ; cd5 = 0; cd6 = 0; x 2 구간의 경로 else if (t>tf-tb1 & t <= t) cd1 = qf1 - al/2*tf^2 +al*t+tf - al/2*t^2; cd2 = al*t+tf -al*t; cd3 = -al; cd4 = qf2 - a2/2*tf^2 +a2*t+tf - a2/2*t^2; cd5 = a2*t+tf -a2*t; cd6 = -a2; else cd1 = qf1; cd2 = 0; cd3 = 0; cd4 = qf2; cd5 = 0; cd6 = 0; end cd = [cd1 cd2 cd3 cd4 cd5 cd6]; </pre> <p style="text-align: center;">그림 7.51 LSPB 경로 계획</p>

페이지	현재	수정
415		그림 7.52 조인트 1
490	>> r11 = [-L1/2; ; 0; 0; 1]; >> r22 = [-L2/2; ; 0; 0; 1];	>> r11 = [-L1/2; 0; 0; 1]; >> r22 = [-L2/2; 0; 0; 1];